

CISC 3250 Systems Neuroscience

Perception



Professor Daniel Leeds
dleeds@fordham.edu
JMH 332

Pathways to perception in 3 (or fewer) synaptic steps

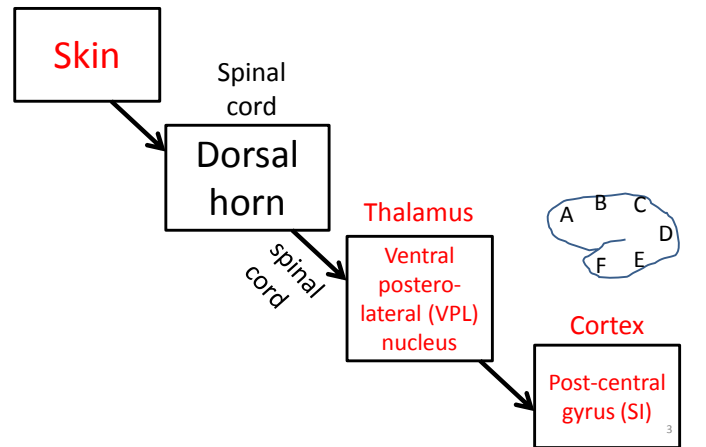
- 0 Input through sensory organ/tissue
- 1 Synapse onto neurons in spinal cord/brain stem
- 2 Synapse onto neurons in thalamus
- 3 Synapse onto cortical neurons in "primary ____ cortex"
- 4+ Further cortical processing

Types of percepts
in this lecture:

- Tactile (touch)
- Audition (sound)
- Vision (sight)



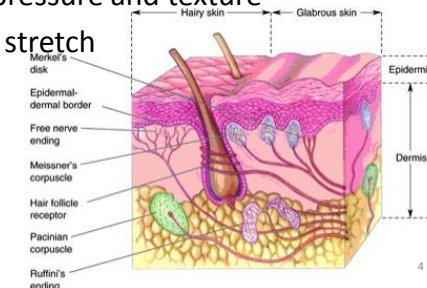
Touch/"Tactile"



Touch: Inputs

Mechanoreceptors in skin

- Pacinian corpuscles – vibrations
- Meissner's corpuscles – light touch
- Merkel's discs – pressure and texture
- Ruffini endings – stretch



Thalamus – the “relay” station

Region names largely based on location

VPL for somatosensation

VPL =
Ventral (bottom)
Posterior (back)
Lateral (side) Nucleus

Legend

- Anterior nuclei
- Medial nuclei
- Lateral nuclei
- LP - Lateral posterior nucleus
- LD - Lateral dorsal nucleus
- VA - Ventral anterior nucleus
- VL - Ventral lateral nucleus
- VP - Ventral posterior nucleus
- VI - Ventral intermediate nucleus
- VPM - Ventral posteromedial
- VPL - Ventral posterolateral

<http://en.wikipedia.org/wiki/File:Thalamus-schematic.svg>

Hearing/“Auditory”

Cochlea

Cochlear nerve → Cochlear nucleus (-> Superior olive) -> Inferior colliculus

Brain stem → Thalamus

Thalamus → Medial geniculate nucleus (MGN) → Cortex

Cortex → Primary auditory cortex (AI)

Recall: in cochlea have tonotopy
Neurons selective for specific frequencies

Geniculate nuclei at most posterior ventral spots in thalamus

Hearing and frequency decomposition

Sound consists of times and frequencies

Time-bound wavelets:

Similar to cochlear neurons

$$w(t) = \frac{2}{\sqrt{3\sigma\pi}^{1/4}} \left(1 - \left(\frac{t}{\sigma} \right)^2 \right) e^{-\frac{t^2}{2\sigma^2}}$$

“Mexican hat”

Spectrogram

Common patterns in speech

- Vowels (a,e,i,o,u) correspond to steady frequency combinations
- Consonants may be broad-range frequencies, or sweeps

Top 2 freqs: i 300, 2500; u 300, 1000; a 500, 1000

More speech pattern

- Speech **formant** ranges by frequency
- ch, s – long high freq
- d, k, t – broad freq burst
- l, r, n, m – freq slide

The top plot shows vowel space with axes for First formant frequency, F₁ (Hz) and Second formant frequency, F₂ (Hz). The bottom plot is a spectrogram with frequency from 1k to 10k Hz on the y-axis and time on the x-axis, with the word 'children like straw' written below it.

Spectro-temporal receptive fields

AI (primary auditory cortex) neurons selective for patterns in space and time

Nagel 2008 Neuron Zebra Finch (field L)

The plots show frequency (984, 2674, 7270 Hz) on the y-axis and time (-40 to 0 msec) on the x-axis, illustrating the neuron's selectivity for specific spectro-temporal patterns.

Binaural hearing

Comparing sounds from left and right

- Time shift and/or Volume Change

The diagram shows sound waves from a source reaching two ears. Below it, two pairs of waveforms labeled 'Left' and 'Right' illustrate time shifts and volume changes. Applications listed include localizing sound sources and distinguishing multiple sources.

Math of sound localization

Speed of sound $c=343$ m/s

Human head $b=0.2$ m

The diagram shows a speaker, listener, and sound source with distances d_1 , d_2 , d and angles α , Δd . A right-angled triangle shows $\Delta d = 1.7$ m for $\Delta t = 5$ ms. The equation $\alpha = \sin^{-1} \frac{c\Delta t}{b}$ is shown. A neural model at the bottom shows coincidence detector neurons with axons (delay lines) from the left and right ears.

If $\Delta t = 5$ ms
 $\Delta d = 343 \times 0.005 = 1.7$ m

$\alpha = \sin^{-1} \frac{c\Delta t}{b}$

$\sin \alpha = \frac{\text{opposite}}{\text{hypotenuse}} = \frac{\Delta d}{b}$

Math of sound localization

Speed of sound
c=343 m/s

Human head
b=0.2m

If $\Delta t = 0.5\text{ms}$
 $\Delta d = 343 \times 0.0005 = 0.17\text{m}$

$$\alpha = \sin^{-1} \frac{c\Delta t}{b}$$

$\sin \alpha = \frac{0.17}{0.2} = 0.85$
 $\alpha = \sin^{-1} 0.85 = 58^\circ$

Sound gets R ear @ 1345.2 ms
 to L ear @ 1345.7 ms

$90^\circ = 1.57 \text{ rad } (\frac{\pi}{2} \text{ rad})$
 x radians:
 $\frac{90x}{1.57} \approx \frac{360x}{2\pi} \text{ degrees}$

Math of sound localization

Speed of sound
c=343 m/s

Human head
b=0.2m

$$\alpha = \sin^{-1} \frac{c\Delta t}{b}$$

Pick direction for comparison
 $\Delta t = \begin{cases} > 0 & \text{rightSound earlier} \\ < 0 & \text{leftSound earlier} \end{cases}$

Math of sound localization

Speed of sound
c=343 m/s

Human head
b=0.2m

$$\alpha = \sin^{-1} \frac{c\Delta t}{b}$$

Sound gets R ear @ 258.5 ms
 Get to L ear @ 285.3 ms

Which ear is sound closest to?
 The ear that sound arrives at first
 Ear with smaller time of arrival

$\Delta d = c\Delta t = 343 \times (0.2855 - 0.2585)$
 $\sin \alpha = \frac{\Delta d}{b} = \frac{343 \times 0.00027}{0.2} = 0.35$
 $\alpha = \text{asin}(0.35) = 20^\circ$

What's my α ?
 Closer to L ear

Seeing/"Visual"

Retina

Optic nerve

Thalamus
Lateral geniculate nucleus (LGN)

Cortex
Primary visual cortex (V1)

PFC, ITC, V1

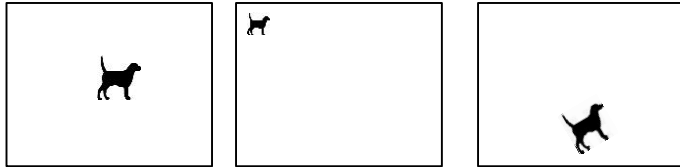
A, B, C, D

Sensitivity to perceptual variations

- V1: Surround-suppression for shifted edges

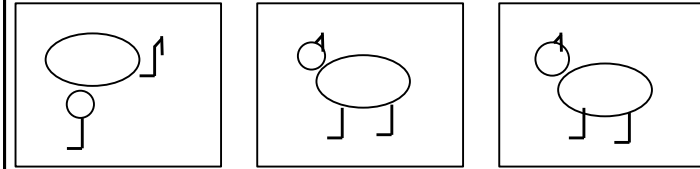


- ITC/PFC: Same object detected at diverse locations and scales



21

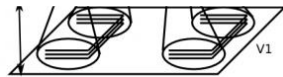
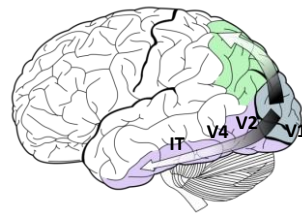
Selectivity to perceptual variations



- More complex percepts invariant to greater spatial transformations
 - But if transformation are TOO large, invariance breaks down

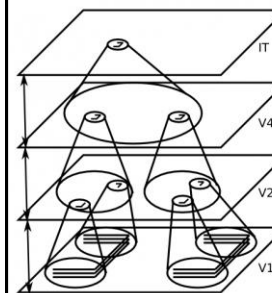
22


HMAX – model of hierarchical vision



- Higher cortical levels cover larger visual spans
- Object recognition invariant to changes in location and orientation

HMAX – model of hierarchical vision



1. Gabor "filters" (edge detectors) 
2. Perform "Max pooling" (semi-invariance over space)
3. Weighted combination of space-invariant edges
4. Further max pooling

24

Higher HMAX layers cover more space

Example coverage for layer x neurons

layer 1
layer 2
layer 3

25

Functions of HMAX layers

- Odd layers (layer 1, 3, 5, ...) look for specific combinations of lower-level features
Neuron in layer L combines info from neurons in layer L-1
- Even layers (layer 2, 4, 6, ...) provide invariance to some feature changes (e.g., shift in position)

layer 1
layer 2
Fire for 1+ lines
layer 3
layer 4
Fire for 1+ Is

26

Functions of HMAX layers

layer 2
Fire for 1+ lines
layer 3

One neuron in layer 3
Looking for I shape
Combo of 3 lines in layer 2
Layer 2 allows for slight position variation in each line

Functions of HMAX layers

- Odd layers (layer 1, 3, 5, ...) look for specific combinations of lower-level features

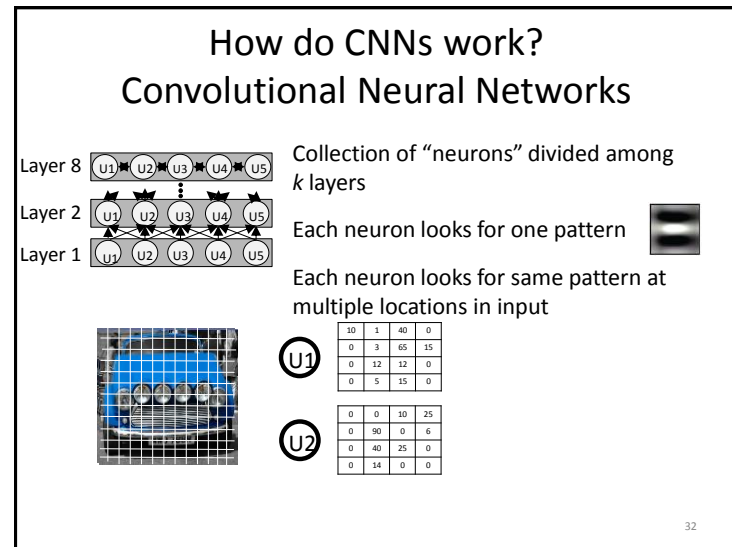
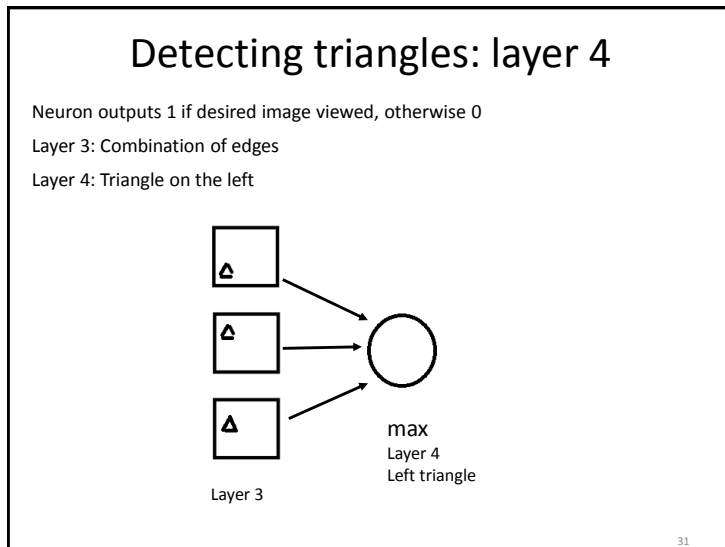
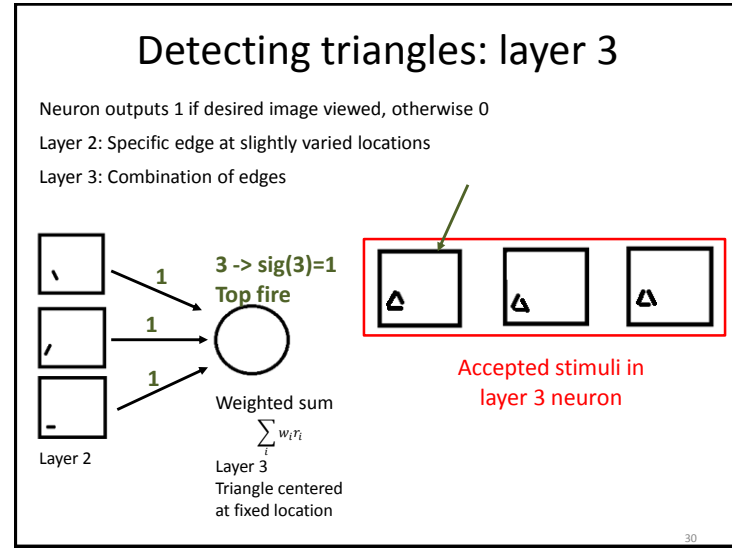
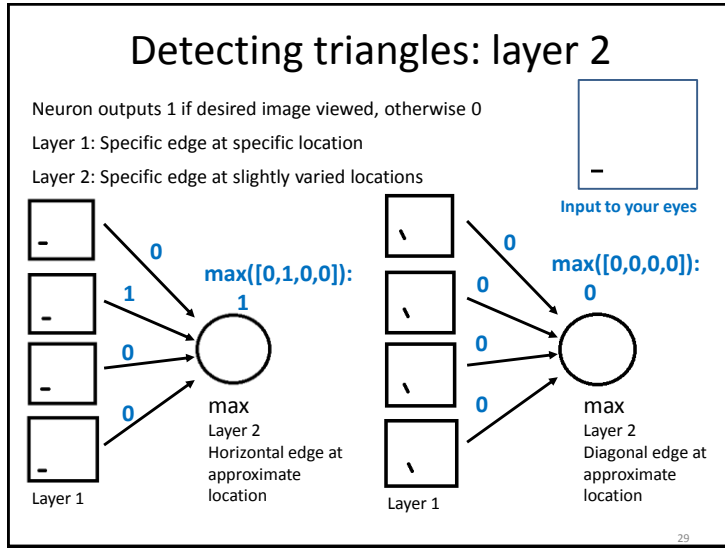
$$h = \sum_j w_j r_j^{in} \quad r^{out} = g^{rad}(h)$$

Radial basis function

- Even layers (layer 2, 4, 6, ...) provide invariance to some feature changes (e.g., shift in position)

$$r^{out} = \max([r_1^{in} \quad r_2^{in} \quad \dots \quad r_j^{in}])$$

28

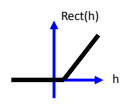


Cascade of linear and non-linear computations

Summation $f(x) = \sum_i w_i x_i$



Rectification $g(y) = \begin{cases} 0 & y \leq T \\ y - T & y > T \end{cases}$
(or Sigmoid)



Max pool $h(z) = \max(z_1, \dots, z_n)$

10	1	40
0	3	65
0	12	12

65

Normalization $\tilde{r}_{x,y} = \frac{r_{x,y}}{(k + \alpha \sum_j r_{x,y}^j)^2 \Sigma}^\beta$

