

Convolutional neural nets (and the brain)

CISC 5800
Extra content

Innovations in computer vision: Convolutional neural networks

- Introduced by Yann LeCun (IEEE 1998) for digit recognition
- Popularized by Alex Krizhevsky (NIPS 2012) for broad object recognition

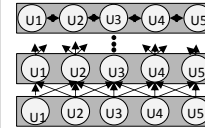
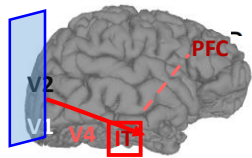
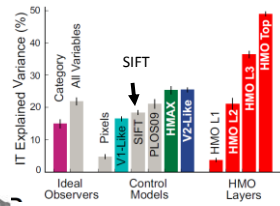
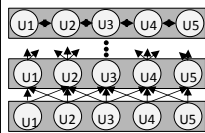


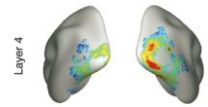
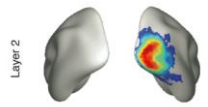
Image-Net: photos of >100K object classes
2012: best non conv-net 26% error rate

Year	Group	Error
2012	Krizhevsky	15.3%
2014	VGG	7.3%
2014	GoogLeNet	6.7%
200,000BC	Human Vision	5.1%

Computer models of cortical vision 2.0

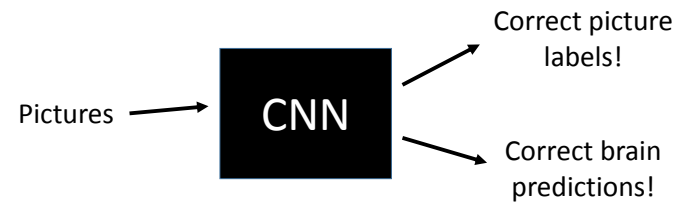


Yamins PNAS 2014
Optimized CNNs

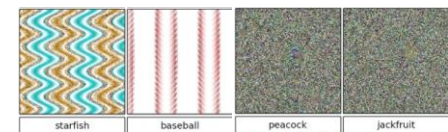


Cichy Nature 2016

What are CNNs?



Limits: Fooling CNNs
Nguyen CVPR 2015



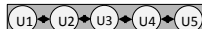
Why understand CNNs?



Insights on:


- Making better-performing models
- Making simpler models
- How the brain actually works

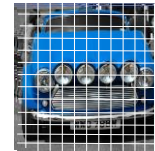
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How do CNNs work?

Layer 8  Collection of "neurons" divided among k layers

Layer 2  Each neuron looks for one pattern 

Layer 1  Each neuron looks for same pattern at multiple locations in input



U1

10	1	40	0
0	3	65	15
0	12	12	0
0	5	15	0

U2

0	0	10	25
0	90	0	6
0	40	25	0
0	14	0	0

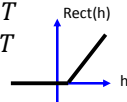
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Cascade of linear and non-linear computations

Summation $f(x) = \sum_i w_i x_i$



Rectification $g(y) = \begin{cases} 0 & y \leq T \\ y - T & y > T \end{cases}$

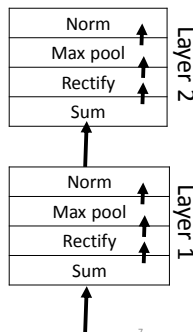


Max pool $h(\mathbf{z}) = \max(z_1, \dots, z_n)$

10	1	40
0	3	65
0	12	12

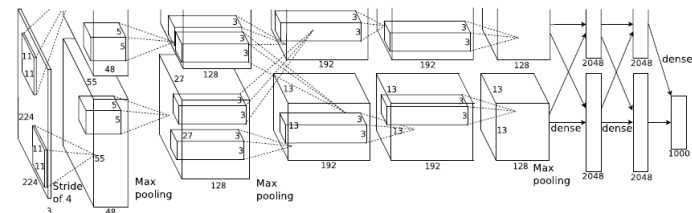
→ 65

Normalization $\tilde{r}_{x,y} = \frac{r_{x,y}}{(k + \alpha \sum_j r_{x,y}^j)^{\beta}}$



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Example full network – Krizhevsky NIPS 2012



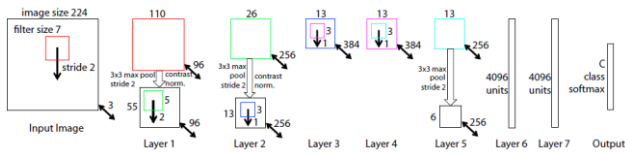
Eight layers One, two, or four sub-layers
 256 – 384 neurons per layer

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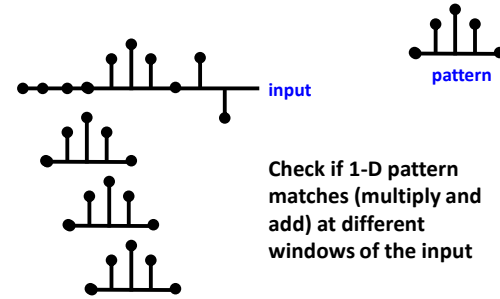
Convolution

Each neuron looks for same pattern at multiple locations in input

- How big a location (size)?
- How many locations (stride)?

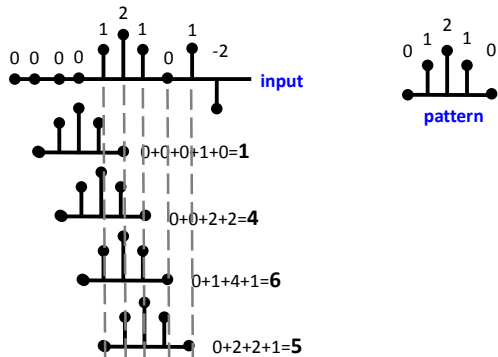


1D convolution



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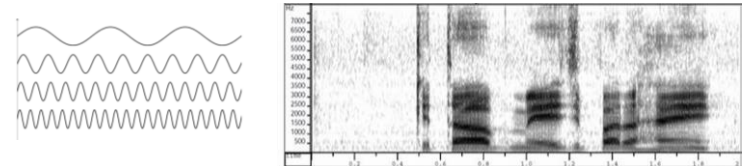
1D convolution



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“Spectrogram” as image

- Speech, motion, stock-prices converted to frequency-over-time
- Learn 2D patterns from spectrograms

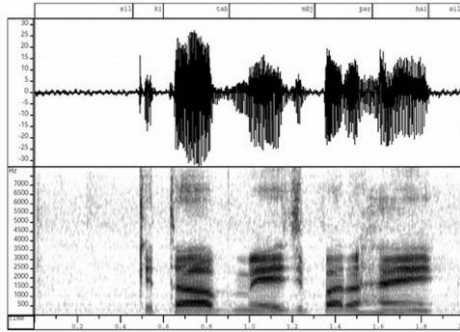
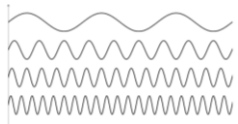


- Or learn wave-gram from wavelets



Speech spectrum: convolution of sine waves

Shifting time windows,
sine waves at each
frequency



Inflating data set

- Flip/rotate image



- Change lighting/contrast

